> A stone is dropped from a helicopter while the helicopter is rising with a constant velocity of 3.0 m/s. If the stone was dropped from a height of 30.0 meters how long will it take for the rock to reach the ground? Solving For Time When the **Initial Velocity is Not Zero** $v_i = 3.0 m / s$ $\Delta y = v_i t + \frac{1}{2} a t^2$ $\Delta y = -30m$ $a = -9.8 m \, / \, s^2$ $-30m = (3.0m/s)t + \frac{1}{2}(-9.8m/s^2)t^2$ t = ? QUADFORM TO THE RESCUE $4.9t^2 - 3.0t - 30 = 0$ Quadratic equation: (we will discuss an alternate $ax^{2} + bx + c = 0$ method as well...)

Solving with the quadratic equation:

$$\frac{\frac{-b \pm \sqrt{b^2 - 4ac}}{2a}}{-(-3) \pm \sqrt{3^2 - 4(4.9)(-30)}}}{2(4.9)}$$

Do a bunch of math and you get two answers:

Always choose the positive answer. Time is never negative. If both positive choose the <u>reasonable</u> answer for the problem.



Or you could choose to use Quadform. A Ti calculator program that solves the quadratic equation for you.

$$4.9t^2 - 3.0t - 30 = 0$$

Quadratic equation: $ax^2 + bx + c = 0$

Use the quadform program on your calculator!!!!! If you don't have it; get it. You get two roots: 2.80 sec and -2.19 sec Time is always positive!! Note: If you mess up the signs for v_i or Δy then

the roots you get will not be correct!!!!!!!!!!

Sample Problem 2 Laying on the second floor in the F Wing a Bowie student spits up into to the air. The phlegm leaves his mouth at 7.50 m/s. How long do the unfortunate students 4.0 meters below have to get out of harm's way. $\Delta y = v_i t + \frac{1}{2} a t^2$ $v_i = +7.5 m / s$ $\Delta y = -4.0m$ $-4.0m = (7.5m/s)t + \frac{1}{2}(-9.8m/s^2)t^2$ $a = -9.8m/s^2$ t = ? $4.9t^2 - 7.5t - 4.0 = 0$ A = 4.9 B = -7.5 Roots = +1.95 s and -0.419 s C = -4.0

Practice

• The cliff diving gazelle is at it again This time it jumps straight downward with a velocity of 4 m/s. If cliff was 30 meters high, how long was the gazelle in the air?

Known:

$$V_i = -4 \text{ m/s}$$

 $a = -9.8 \text{ m/s}^2$
 $\Delta y = -30\text{m}$
 $-30m = (-4m/s)t + \frac{1}{2}(-9.8m/s^2)t^2$
 $4.9t^2 + 4t - 30 = 0$

Using quadform: t = 2.1 s; or -2.92 s. We always use the positive root ... so t = 2.1 s is the answer.